Section B. Electricity and Magnetism

- 1. A small wire loop of radius *a* lies in the *xy*-plane, centered on the origin. A magnetic moment $\mathbf{m} = m \hat{\mathbf{z}}$ travels up along the *z* axis with constant speed *v*. It passes through the center of the wire loop at t = 0.
 - (a) Compute the emf E(t) around the loop. *Hint: the integral is easier if you evaluate the flux through a section of a spherical surface centered on the magnet and bounded by the wire loop rather than through the planar area bounded by the loop.*
 - (b) If the loop has resistance R, find the Joule heat P(t) Assume the loop is fixed in position.
 - (c) Now consider the case where a uniform linear charge density λ is glued to a nonconducting loop (same orientation and radius as above), and the loop is allowed to spin. What is the position of **m** at the time the loop attains its largest angular momentum, \mathbf{L}_{max} ? What is the value of \mathbf{L}_{max} ? Assume the dipole began its constant-velocity motion at $t = -\infty$, and that the loop was at rest then.